

Introduction to Modern Fortran

KIND, Precision and COMPLEX

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The Basic Problem

REAL must be same size as **INTEGER**

This is for historical reasons – ask if you care

32 bits allows **integers** of up to **2147483647**

Usually plenty for individual **array indices**

But floating-point **precision** is only **6** digits

And its **range** is only **10^{-38} – 10^{+38}**

Index values are not exact in floating-point

And there are many, serious numerical problems

Example

```
REAL, DIMENSION(20000000) :: A  
REAL :: X  
X = SIZE(A)-1  
PRINT *, X
```

Prints **20000000.0** – which is not right

That code needs only **80 MB** to go wrong

See “**How Computers Handle Numbers**”

Mainly on the numerical aspects

Ordinary REAL Constants

These will often do what you expect

- But they will **very often** lose precision

0.0, 7.0, 0.25, 1.23, 1.23E12,
0.1, 1.0E-1, 3.141592653589793

Only the first **three** will do what you expect

- In **old Fortran** constructs, can cause **chaos**
E.g. as arguments to external libraries

KIND Values

You can get the **KIND** of any expression

KIND(var) is the **KIND** value of **var**

KIND(0.0) is the **KIND** value of **REAL**

KIND(0.0D0) is that of **DOUBLE PRECISION**

This is described in a moment

Implementation-dependent integer values
selecting the **type** (e.g. a specific **REAL**)

- Don't use **integer constants** directly

SELECTED_REAL_KIND

You can request a minimum **precision** and **range**
Both are specified in **decimal**

`SELECTED_REAL_KIND (Prec [, Range])`

This gives at least **Prec** decimal places
and range $10^{-Range} - 10^{+Range}$

E.g. `SELECTED_REAL_KIND(12)`
at least **12** decimal places

Warning: Time Warp

Unfortunately, we need to define a **module**
We shall cover those quite a lot later

The one we shall define is trivial
Just use it, and don't worry about the details

Everything you need to know will be explained

Using KIND (1)

You should write and compile a **module**

```
MODULE double
  INTEGER, PARAMETER :: DP = &
    SELECTED_REAL_KIND(12)
END MODULE double
```

Immediately after every **procedure** statement
I.e. **PROGRAM**, **SUBROUTINE** or **FUNCTION**

```
USE double
IMPLICIT NONE
```


Using KIND (2)

Declaring variables etc. is easy

```
REAL(KIND=DP) :: a, b, c
```

```
REAL(KIND=DP), DIMENSION(10) :: x, y, z
```

Using constants is more tedious, but easy

```
0.0_DP, 7.0_DP, 0.25_DP, 1.23_DP, 1.23E12_DP,  
0.1_DP, 1.0E-1_DP, 3.141592653589793_DP
```

That's really all you need to know . . .

Using KIND (3)

Note that the above makes it trivial to change **ALL** you need is to change the module

```
MODULE double
  INTEGER, PARAMETER :: DP = &
    SELECTED_REAL_KIND(15, 300)
END MODULE double
```

(15, 300) requires **IEEE 754 double** or better

Or even: `SELECTED_REAL_KIND(25, 1000)`

DOUBLE PRECISION (1)

- The best way to control precision
Most **flexible**, **portable** and **future-proof**
Advisable if you **may** want to use **HECToR**

All older (**Fortran 77**) code will do it differently
And quite a lot of programmers still do
The old method is **fairly** reliable, today

- You need to know about this, but avoid it

DOUBLE PRECISION (2)

DOUBLE PRECISION takes the space of 2 REALs
⇒ It need not be any more accurate, though

- Almost always, REAL is 32-bit IEEE 754
And DOUBLE PRECISION is 64-bit IEEE 754
Precision is 15 digits, range is $10^{-300} - 10^{+300}$

Main exception is Cray vector supercomputers
And when using compiler options to change precision

DOUBLE PRECISION (3)

You can use it just like **REAL** in declarations
Using **KIND** is more modern and compact

```
REAL(KIND=KIND(0.0D0)) :: a, b, c
```

Constants use **D** for the exponent – **1.23D12** or **0.0D0**

```
REAL(KIND=KIND(0.0D0)) :: a, b, c
```

```
DOUBLE PRECISION, DIMENSION(10) :: x, y, z
```

```
0.0D0, 7.0D0, 0.25D0, 1.23D0, 1.23D12,  
0.1D0, 1.0D-1, 3.141592653589793D0
```

Intrinsic Procedures

Almost all **intrinsic** 'just work' (i.e. are **generic**)
IMPLICIT NONE removes most common traps

- Avoid specific (**old**) names for procedures
AMAX0, **DMIN1**, **DSQRT**, **FLOAT**, **IFIX** etc.
- **DPROD** is also not **generic** – use a library
- Don't use the **INTRINSIC** statement
- Don't pass **intrinsic functions** as arguments

Type Conversion (1)

This is the main “gotcha” – you should use

```
REAL(KIND=DP) :: x  
x = REAL(<integer expression>, KIND=DP)
```

Omitting the **KIND=DP** may lose precision

- With no warning from the compiler

Automatic conversion is actually safer!

```
x = <integer expression>  
x = SQRT(<integer expression>+0.0_DP)
```

Type Conversion (2)

There is a **legacy** intrinsic function

If you are using explicit **DOUBLE PRECISION**

$x = \text{DBLE}(\langle \text{integer expression} \rangle)$

All other “**gotchas**” are for **COMPLEX**

Old Fortran Libraries

Be **very** careful with external libraries

- Make sure **argument types** are right
Automatic conversion does not happen
Not will you get a diagnostic (in general)

Any **procedure** with no **explicit interface**

I did say that using **old Fortran** was more painful

INTEGER KIND

You can choose different sizes of integer

```
INTEGER, PARAMETER :: big = &  
    SELECTED_INT_KIND(12)  
INTEGER(KIND=big) :: bignum
```

bignum can hold values of up to at least 10^{12}
Few users will need this – mainly for **OpenMP**

Some compilers may allocate smaller integers
E.g. by using **SELECTED_INT_KIND(4)**

CHARACTER KIND

It can be used to select the encoding

It is mainly a Fortran 2003 feature

Can select default, ASCII or ISO 10646

ISO 10646 is effectively Unicode

It is not covered in this course

Complex Arithmetic

Fortran is the answer – what was the question?

Has always been supported, and well integrated

COMPLEX is a (real, imaginary) pair of **REAL**

It uses the same **KIND** as underlying reals

```
COMPLEX(KIND=DP) :: c  
c = (1.23_DP,4.56_DP)
```

Full range of operations, intrinsic functions etc.

Example

```
COMPLEX(KIND=DP) :: c, d, e, f
```

```
c = (1.23_DP,4.56_DP)*CONJG(d)+SIN(f*g)
```

```
e = EXP(d+c/f)*ABS(LOG(e))
```

The functions are the **complex** forms

E.g. **ABS** is $\sqrt{re^2 + im^2}$

CONJG is **complex conjugate**, of course

Using **COMPLEX** really **IS** that simple!

Worst “Gotcha”

- Must specify **KIND** in conversion function

```
c = CMPLX(<X-expr>, KIND=DP)
```

```
c = CMPLX(<X-expr>, <Y-expr>, KIND=DP)
```

This will not work – **KIND** is **default REAL**
Usually with no warning from the compiler

```
c = CMPLX(0.1_DP,0.2_DP)
```

Conversion to REAL

```
REAL(KIND=DP) :: x  
COMPLEX(KIND=DP) :: c  
... lots of statements ...  
x = x+c  
c = 2.0_DP*x
```

Loses the imaginary part, without warning
Almost all modern languages do the same

A Warning for Old Code

```
C = DCMPLX(0.1_DP, 0.1_DP)
```

That is often seen in **Fortran IV** legacy code
It doesn't work in **standard** (modern) Fortran

- It will be caught by **IMPLICIT NONE**

Complex I/O

The form of I/O we have used is **list-directed**
COMPLEX does what you would expect

```
COMPLEX(KIND=DP) :: c = (1.23_DP,4.56_DP)  
WRITE (*, *) C
```

Prints “(1.23,4.56)”
And similarly for input

There is some more on **COMPLEX** I/O later

Exceptions

Complex exceptions are **mathematically** hard

- **Overflow** often does what you won't expect
Fortran, unfortunately, is no exception to this

See “**How Computers Handle Numbers**”

- Don't cause them in the first place
- Use the techniques described to detect them